

# Atmospheric Predictability

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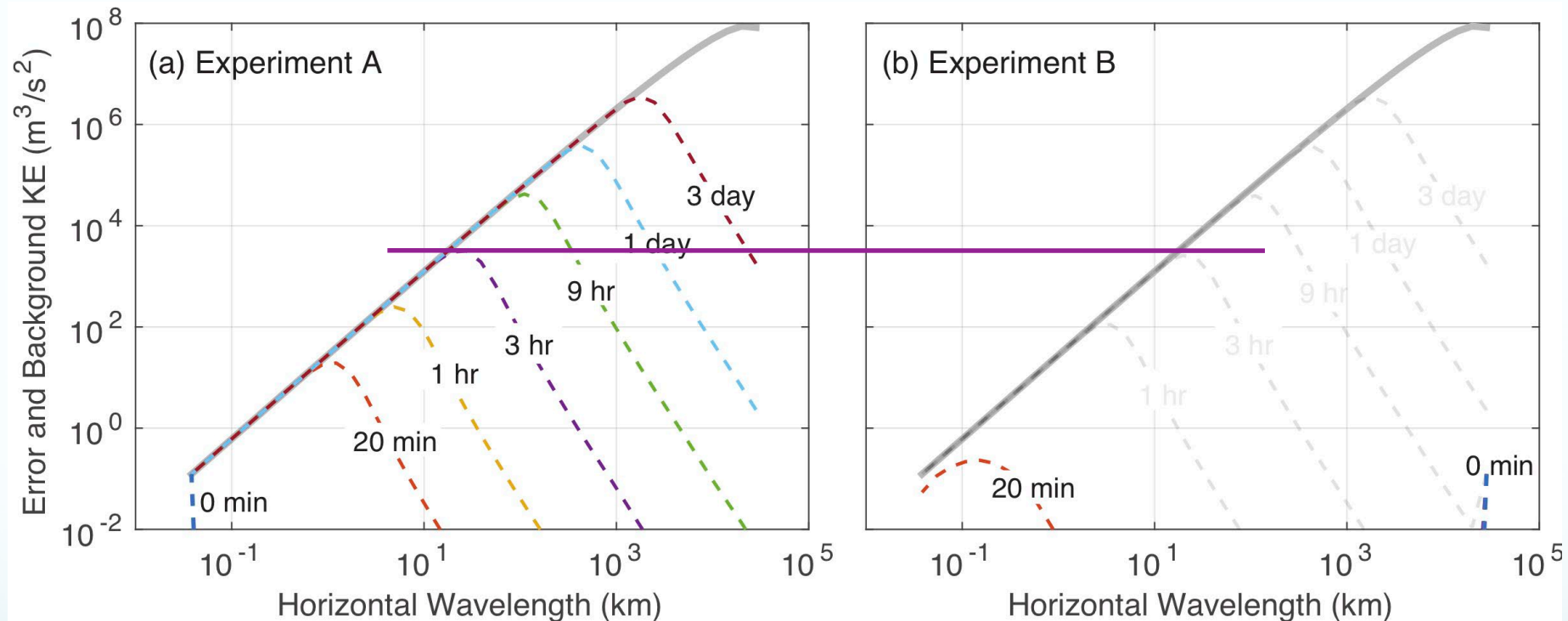
# Initial-Condition Errors: Scale Sensitivities

Consider two *different* questions

- Is upscale error growth important?
  - (even if it is not exactly a “spectral cascade”)
- Given initial errors of *fixed absolute magnitude*, does their *horizontal scale* influence predictability?

# Lorenz's 1969 Answer: Experiments A & B

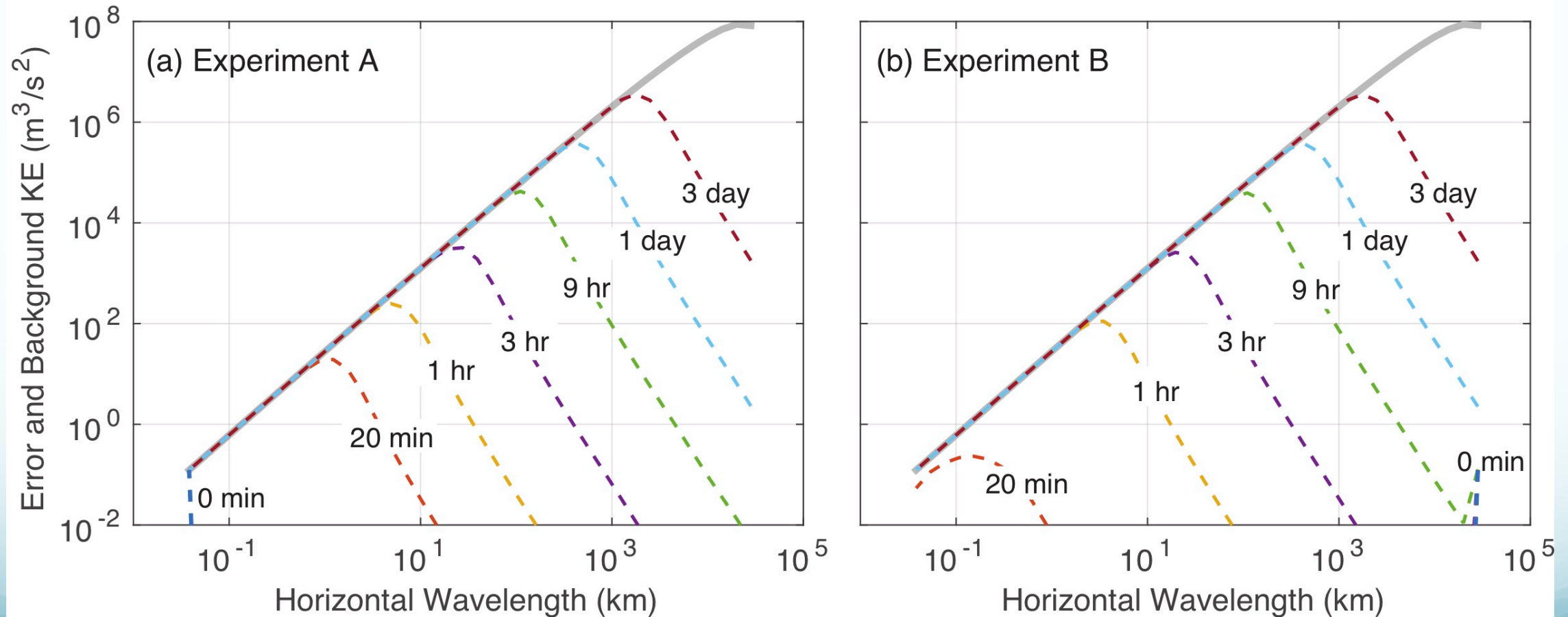
Modified spectral turbulence model (Durran and Gingrich 2014)



“Evidently when the initial error is small enough, its spectrum has little effect upon the range of predictability.”

Implications of Experiment B were largely overlooked.

# Small *relative errors* in the large-scales can destroy predictability.



# Influence of Scale: Lorenz Model

- Small **relative** errors in the large scales rapidly propagate down to the smallest resolved scale.
- Those small-scale errors subsequently propagate back upscale as if they had simply originated in the small scales.
  - Upscale growth is responsible for the finite limit to intrinsic predictability
- No easy way to diagnose the scale of the “original errors”.

# How relevant is the Lorenz model?

- It does not include
  - Baroclinic instability
  - Deep convection
  - Inhomogeneity and nonstationarity
- Nonlinear effects are incorporated only crudely.
- Incorrectly assumed  $k^{-5/3}$  slope for the background KE spectrum at large-scales.
- *Deep Convection?*

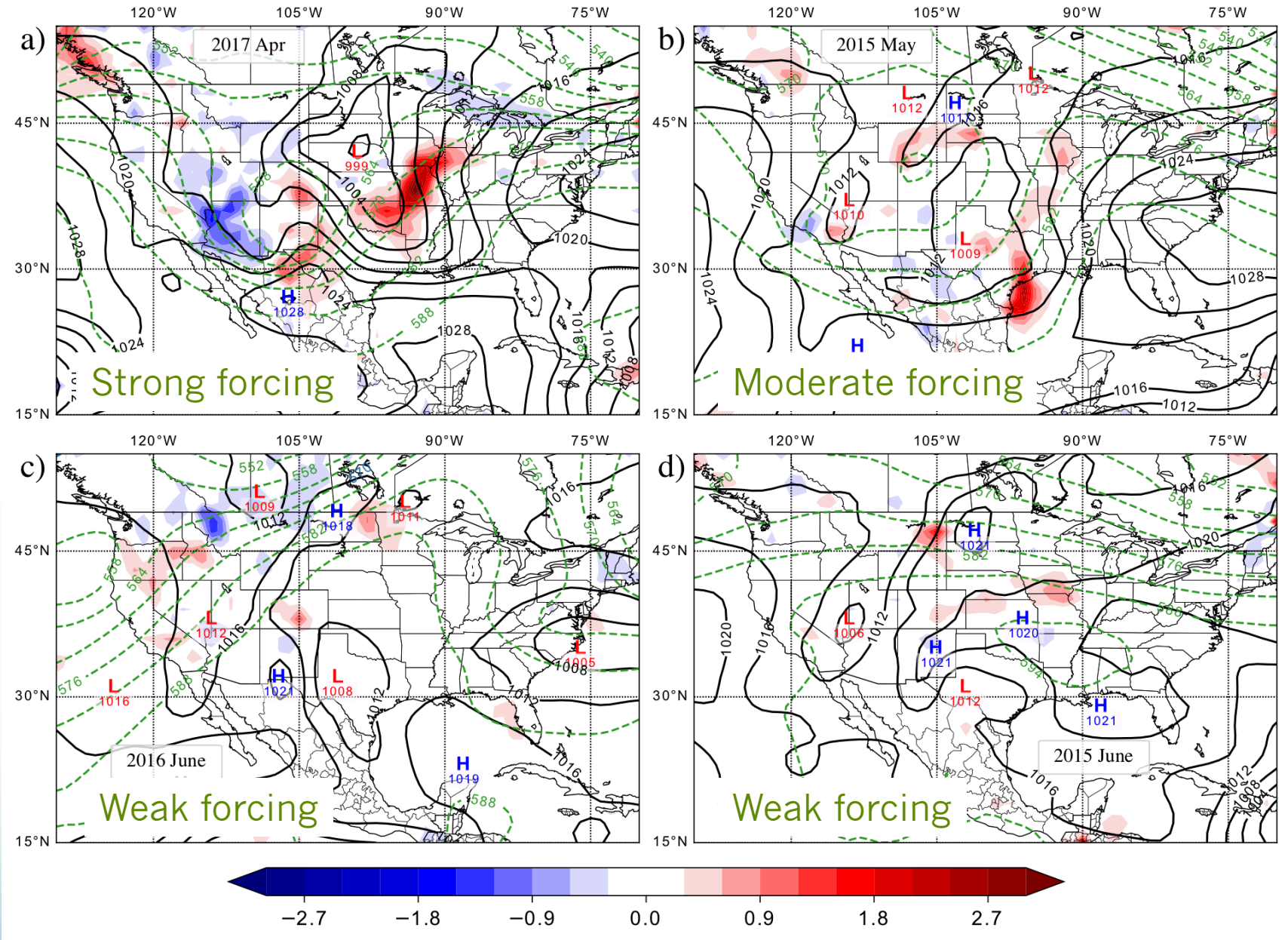
# Error Growth in Observed Convective Systems

- Four cases: both weakly and strongly forced systems
  - 24-hr control simulations
  - WRF model, 2.5 km horizontal grid spacing
  - GFS analysis for initial conditions
  - Six ensemble simulations branch off each control at hour 6
- Different *background* perturbations among ensemble members in the near-surface moisture field
  - Monochromatic square wave in horizontal, random phase
    - **Small-scale ensemble:**  $x$  &  $y$  wavelengths 20 km ( $\lambda = 14$  km)
    - **Large-scale ensemble:**  $x$  &  $y$  wavelengths 200 km ( $\lambda = 140$  km)
  - Perturbation amplitude of *1% of control moisture field*
  - 1-km e-folding decay scale away from the surface



# Synoptic Overview

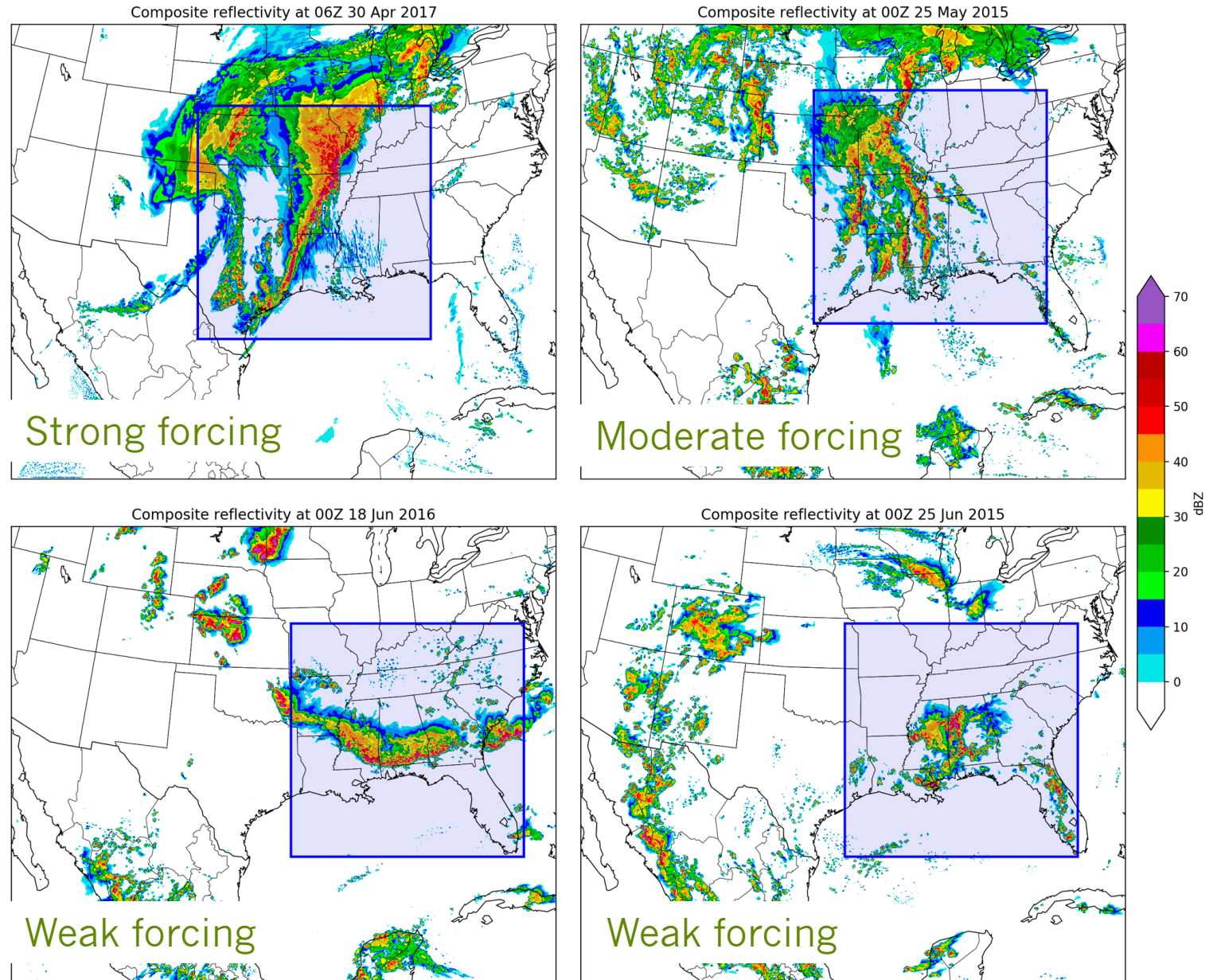
- Sea-level pressure
- 500 hPa heights
- 500 hPa vertical velocity (contours)



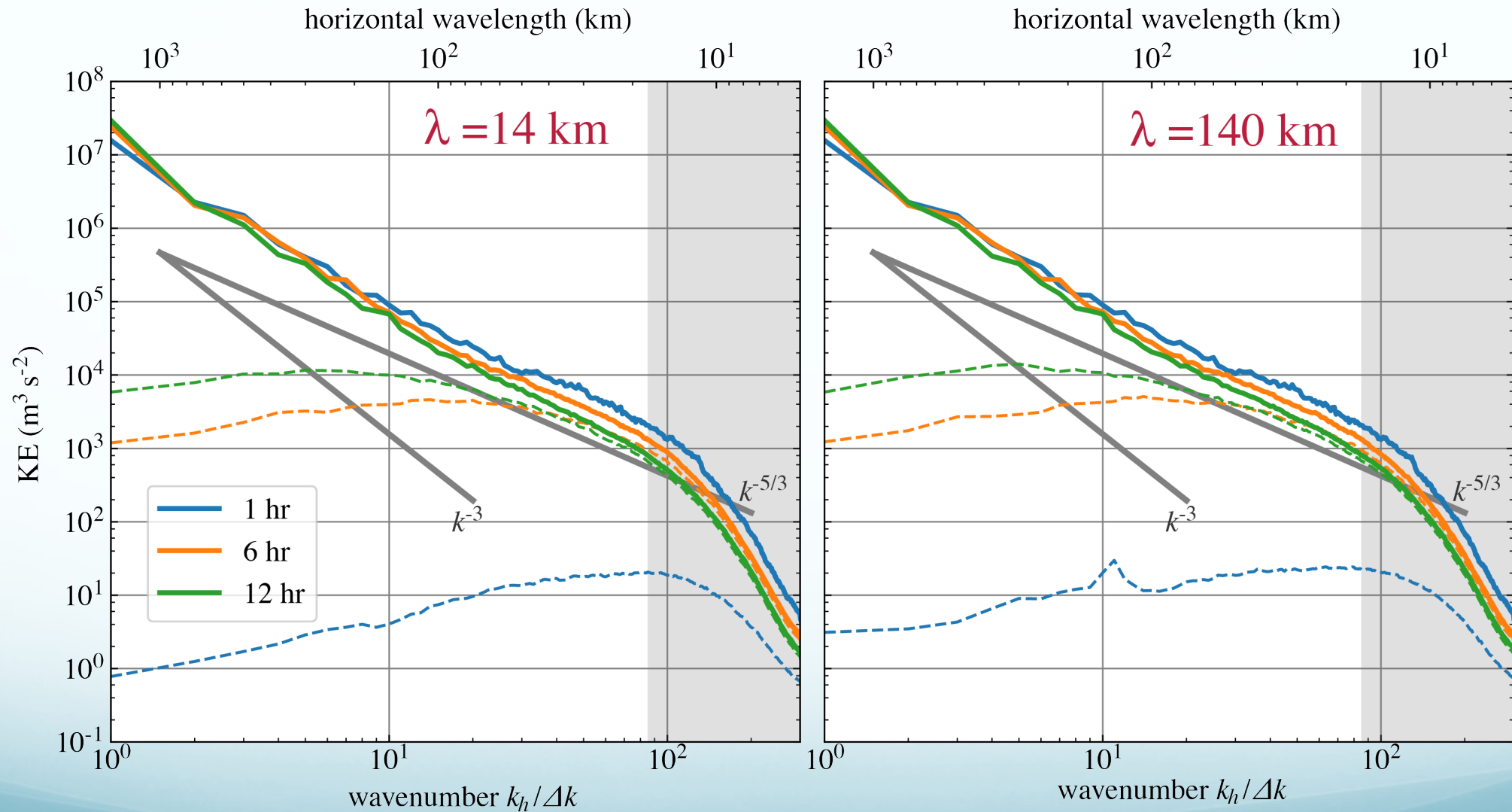


# Control Simulations

- Simulated composite reflectivity
- 12 hours after initialization from GFS
- Hour 6 in the ensembles
- 2.5 km horiz. resolution

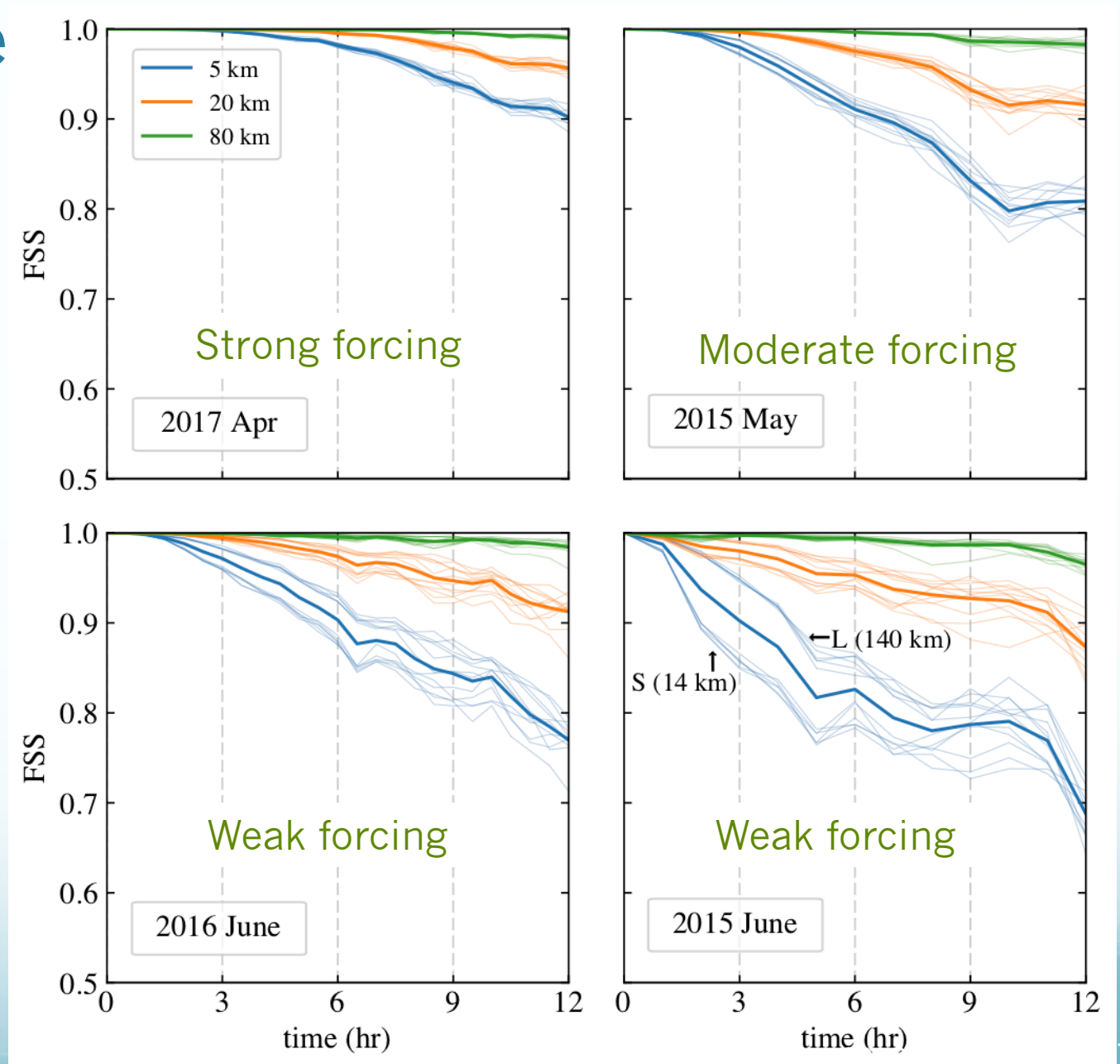


# Perturbation KE Growth: April 2017 Case



# Fractions Skill Score

- 1 mm/hr precip threshold
- 5, 20, 80 km verification radii
- *Weak forcing*: 14-km perturbations grow faster than 140-km perturbations



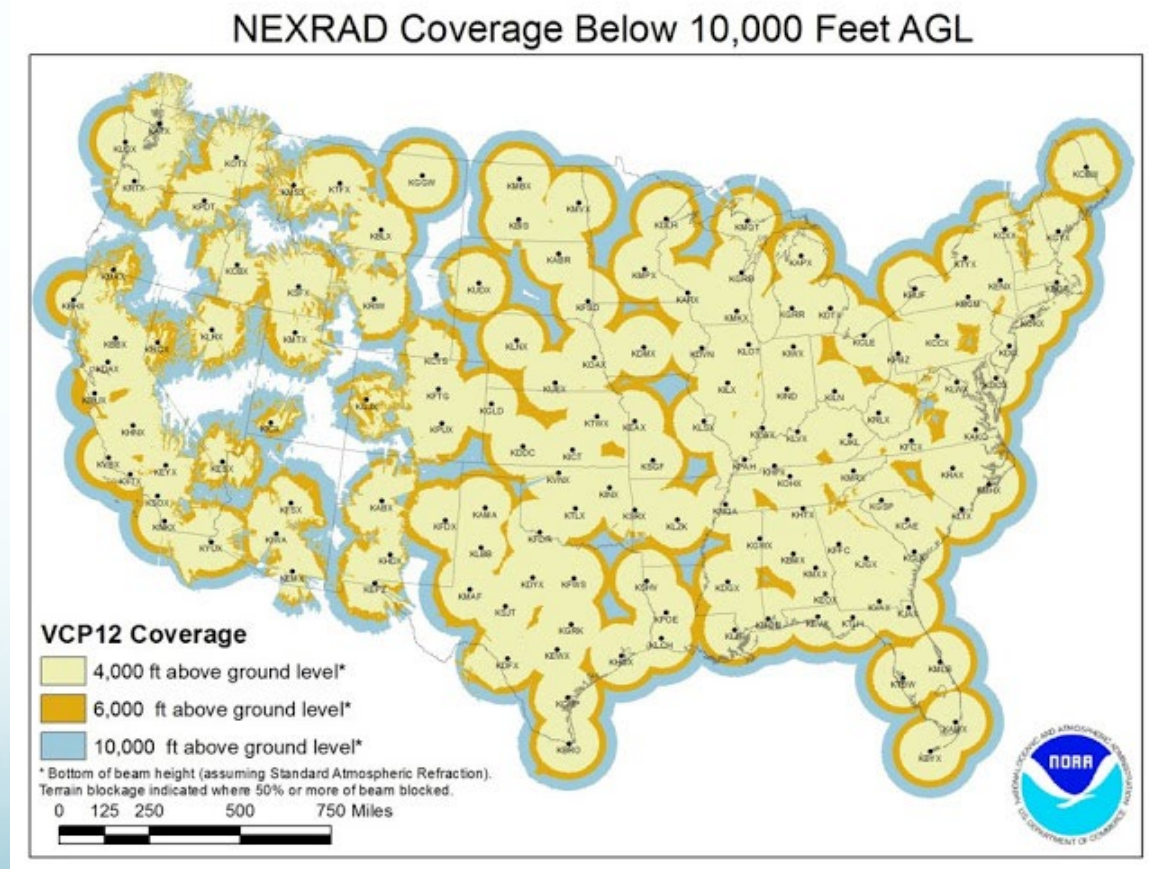
# Influence of Scale – Convective Systems

- Equal amplitude 1% humidity errors at 14 and 140 km produce:
  - Similar losses in predictability in strongly forced cases
  - More rapid error growth in weakly forced cases
- Short-wavelength errors influence convective initiation
  - Important in weakly forced cases
- Long-wavelength errors influence convective organization
  - Important in strongly forced cases



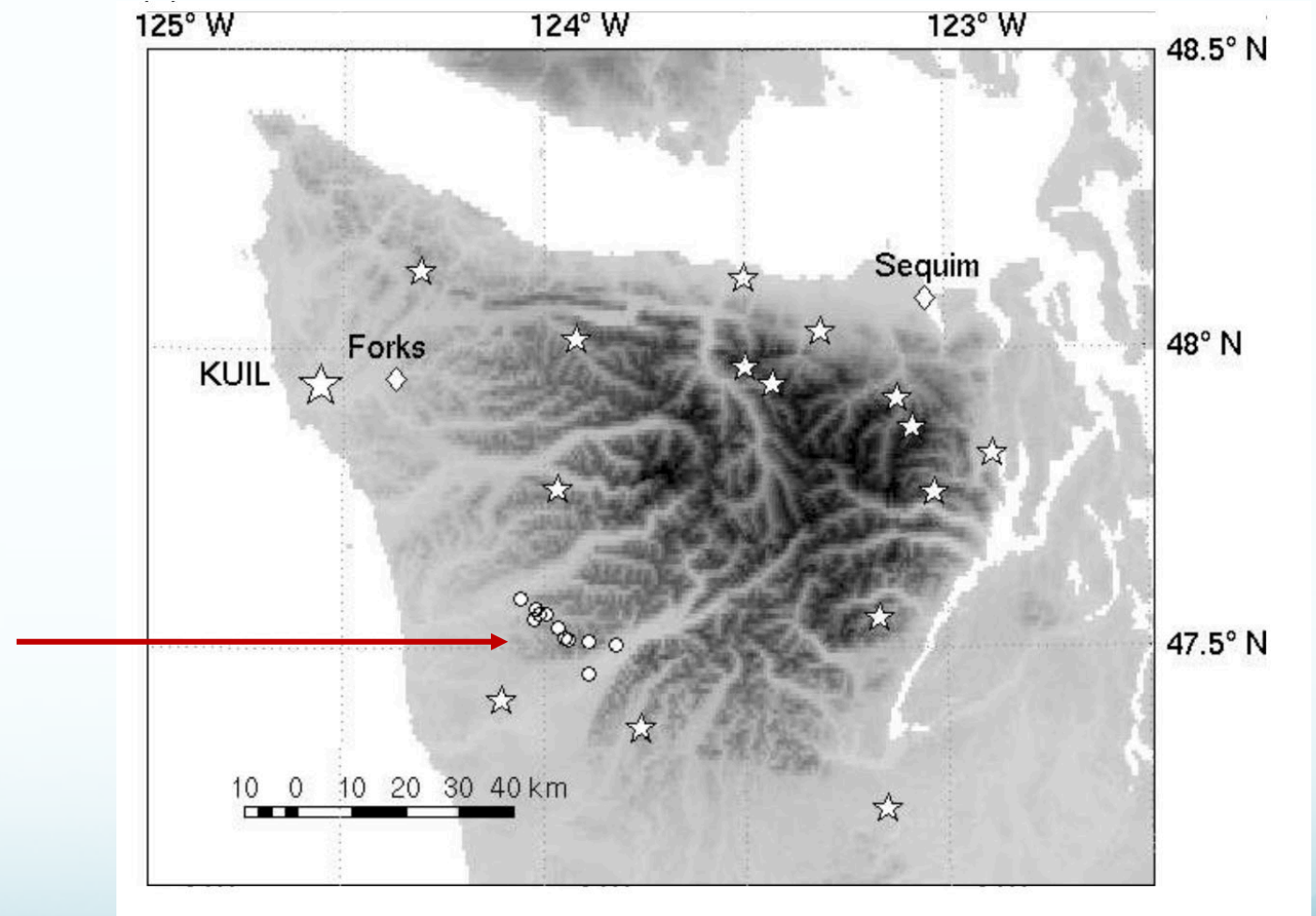
# Implications for data assimilation on the mesoscale

- Characteristic velocities at wavelengths of 200-400 km are 5 times larger than those at 2-4 km.
- Equal improvements:
  - ( $> 6$ -hr forecast)
  - from reducing IC errors at
  - 2-4 km below **50%**
  - 200-400 km below **10%**
  - (*equal absolute errors in KE'*)



# Predictability and Microphysics

Fine-scale rain gauge network across ridge

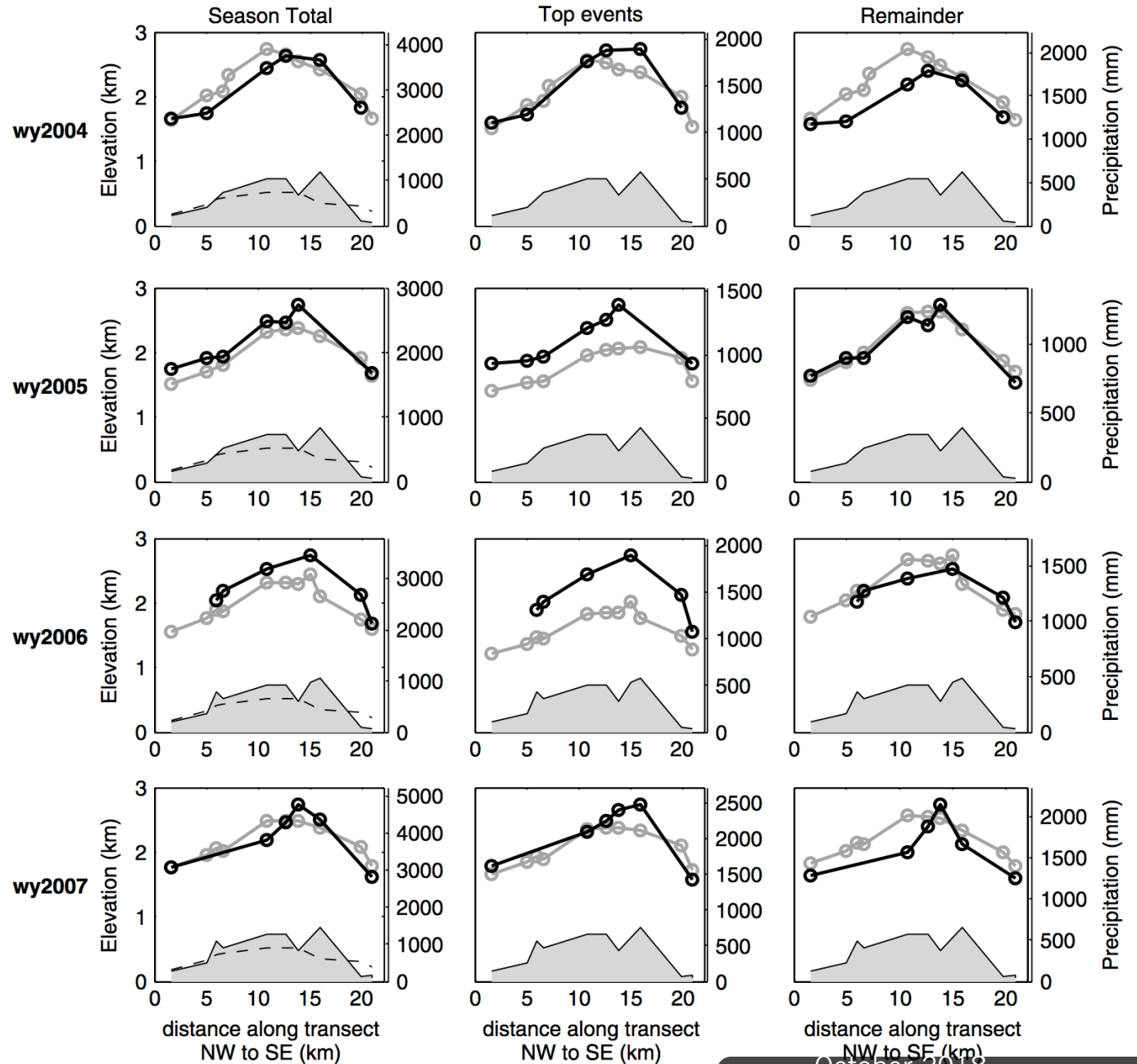




# MM5 vs Rain Gauges

Black: observations

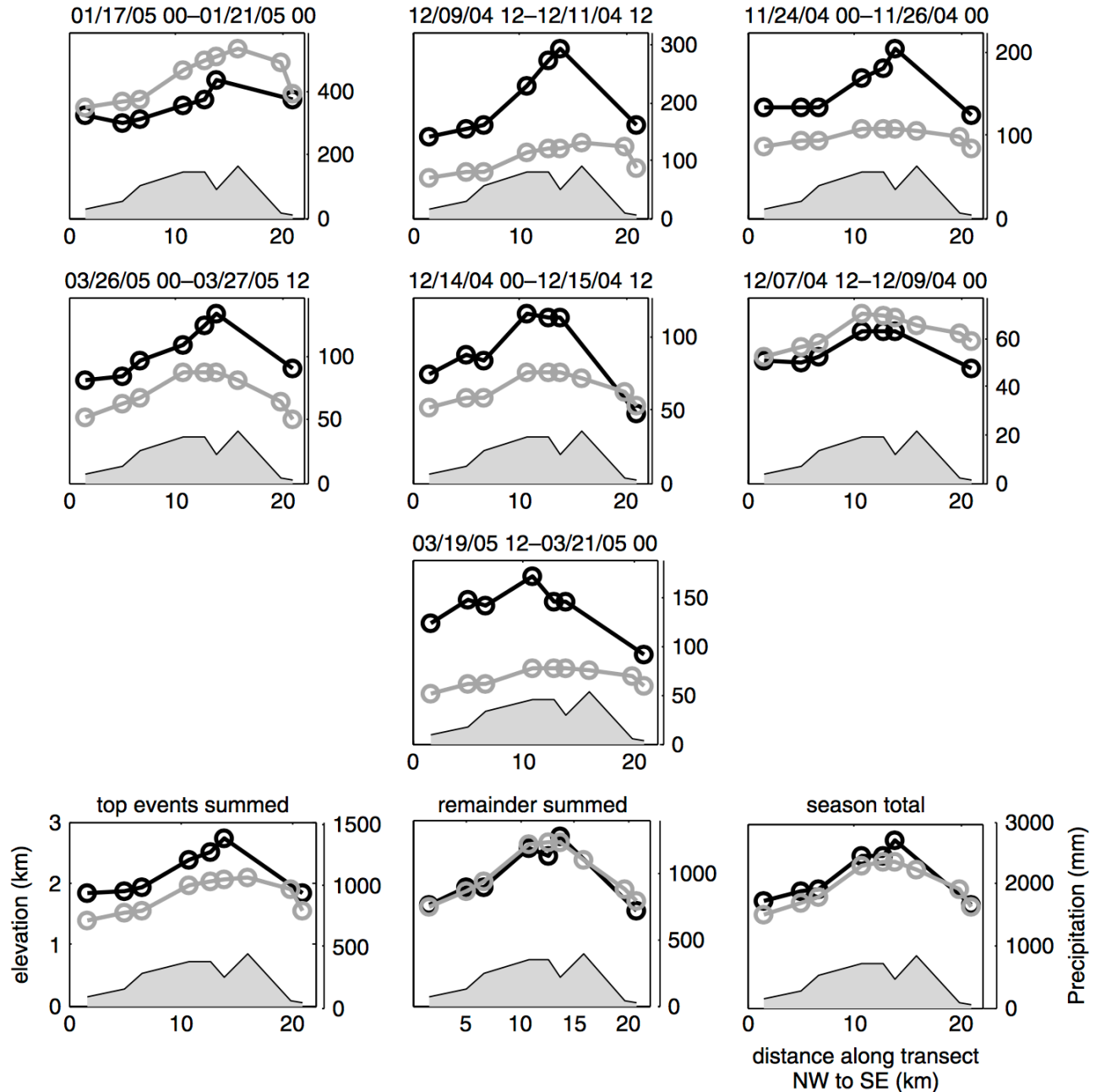
Gray: MM5 forecast



# MM5 vs Rain Gauges WY 2005

Black: observations

Gray: MM5 forecast



# Predictability and “Physics”

Don't test a family of physics parameterizations in simulations using single deterministic initial condition!

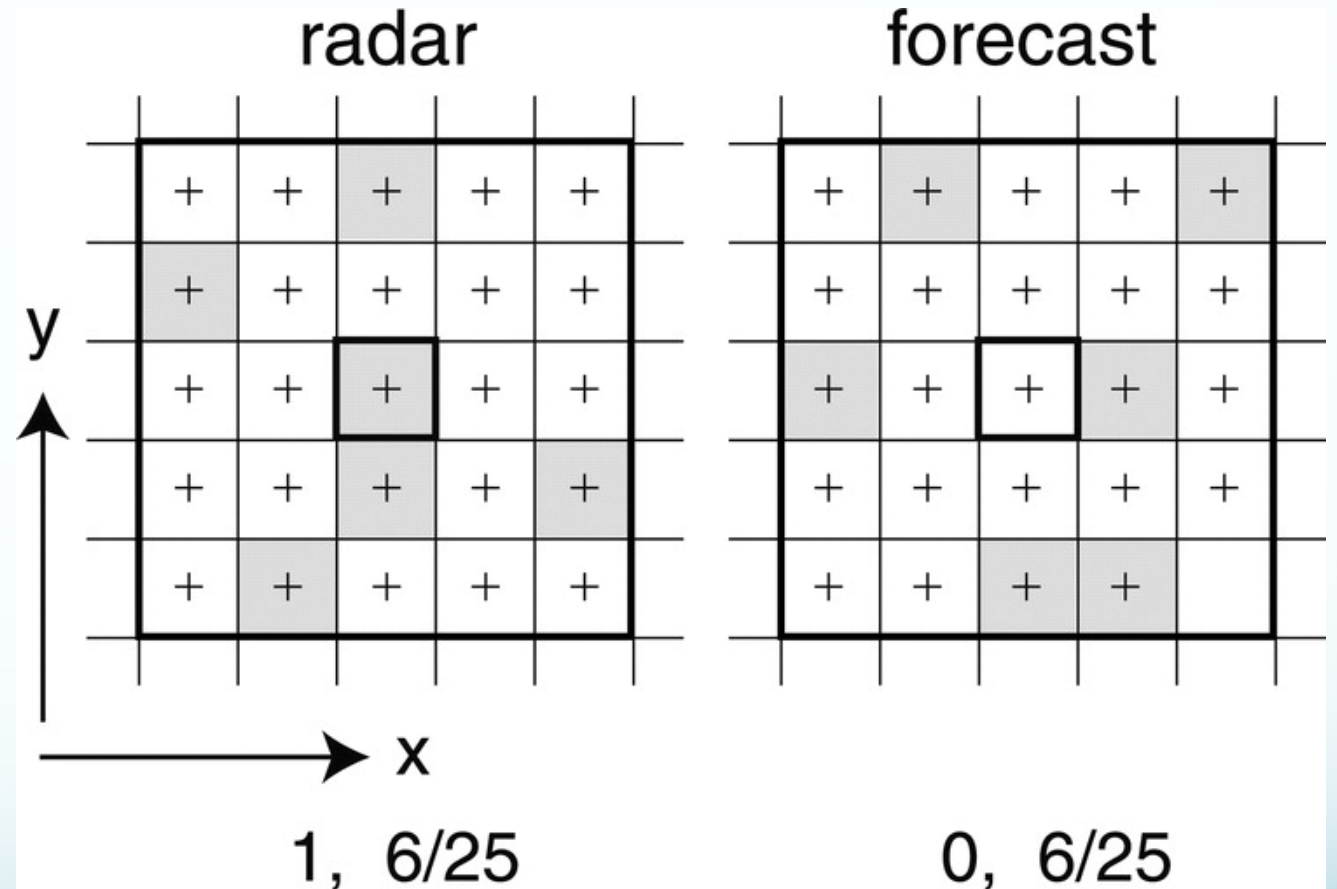
# References

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<https://doi.org/10.1002/qj.3367>
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# Another measure of predictability

## Fractions skill score

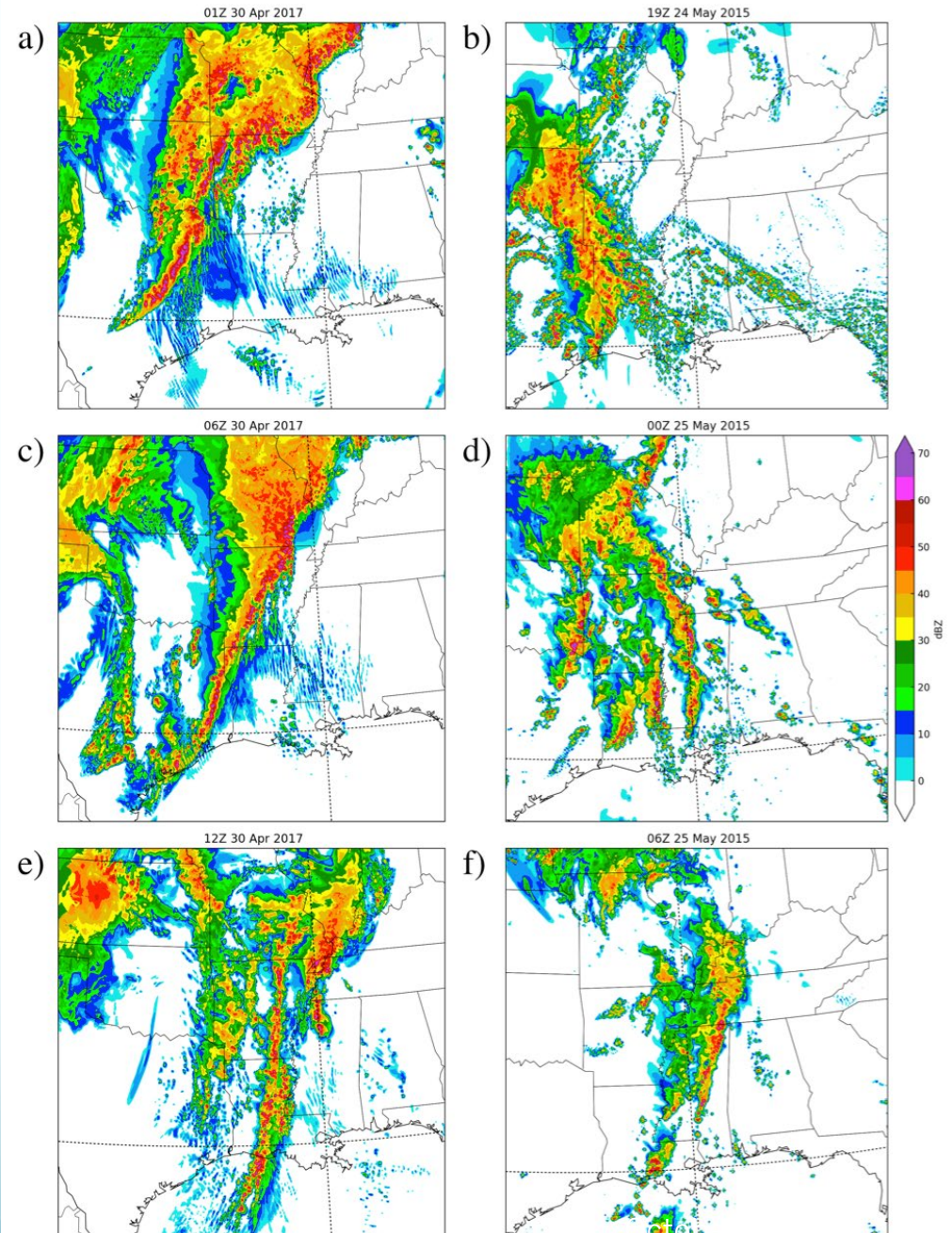
(Roberts and Lean, *MWR*, 2008)





# Strong/Moderate Forcing

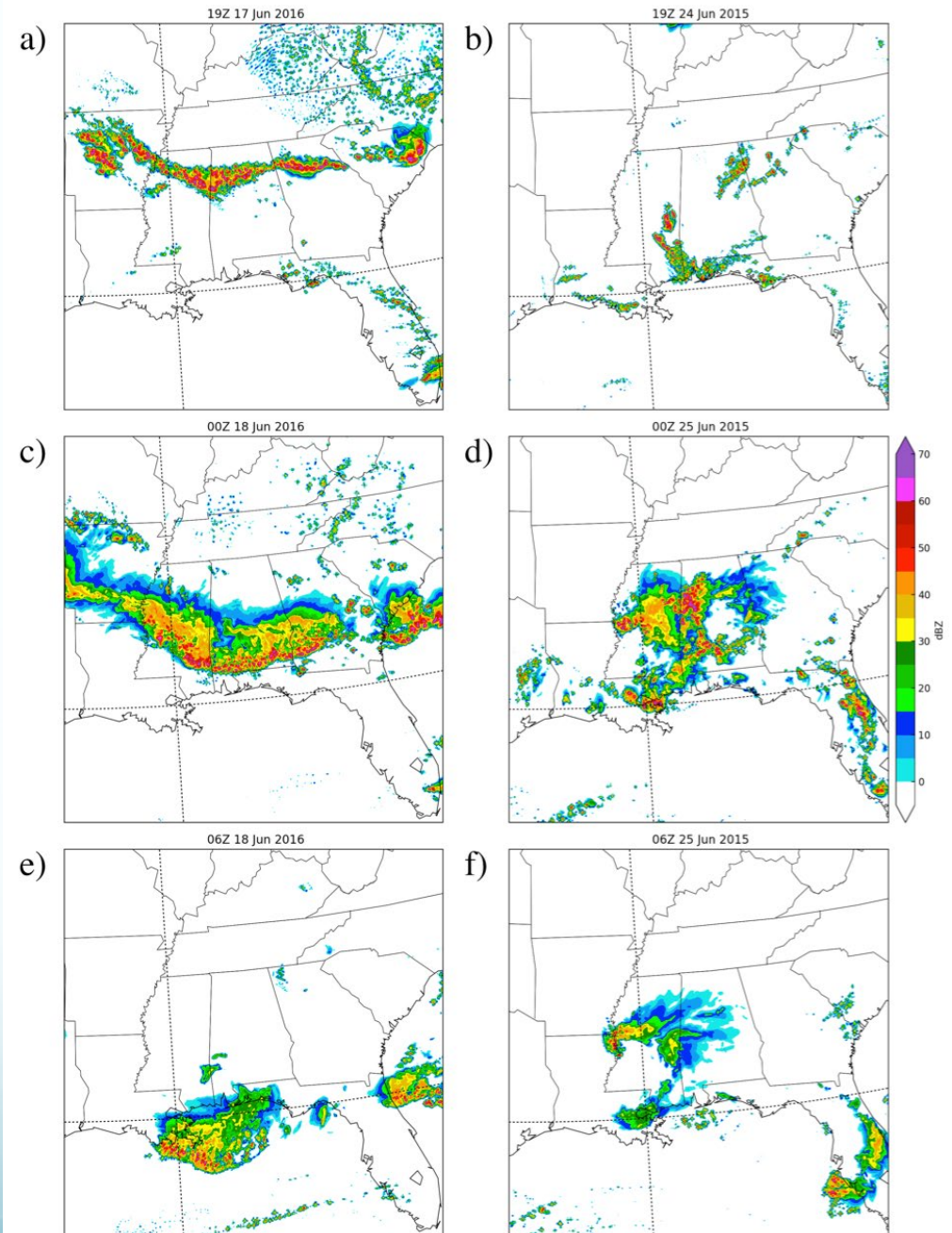
Synthetic radar reflectivity





# Weak Forcing

Synthetic radar reflectivity



# Implications for data assimilation: I

Parseval's relation

$$\int_S u^2(x) dx = \int_{-\infty}^{\infty} \hat{u}(k) \hat{u}^*(k) dk$$

KE in wavenumber band  $(k_1, k_2)$

$$E(k_1, k_2) = \int_{k_1}^{k_2} \hat{u}(k) \hat{u}^*(k) + \hat{v}(k) \hat{v}^*(k) dk$$

# Implications for data assimilation: II

- $k^{-5/3}$  KE spectrum

$$\frac{E(k_1, k_2)}{E(k_3, k_4)} = \frac{\lambda_1^{2/3} - \lambda_2^{2/3}}{\lambda_3^{2/3} - \lambda_4^{2/3}}$$

- Ratio of velocities in 200-400-km band to those in 2-4-km band is 0.21
- Which is the easier goal?
  - Reduce errors at 200-400 km below 10%
  - Reduce errors at 2-4 km below 50%

# Error saturation ( $KE'/KE$ ) in layer $10 < z < 12$ km

- Similar errors at 12 hr in all cases
- Small-scale errors produce more saturation at 6 hr in the weakly forced cases
  - More variation in CI

